

# Synaptic Metaplasticity in Binarized Neural Networks

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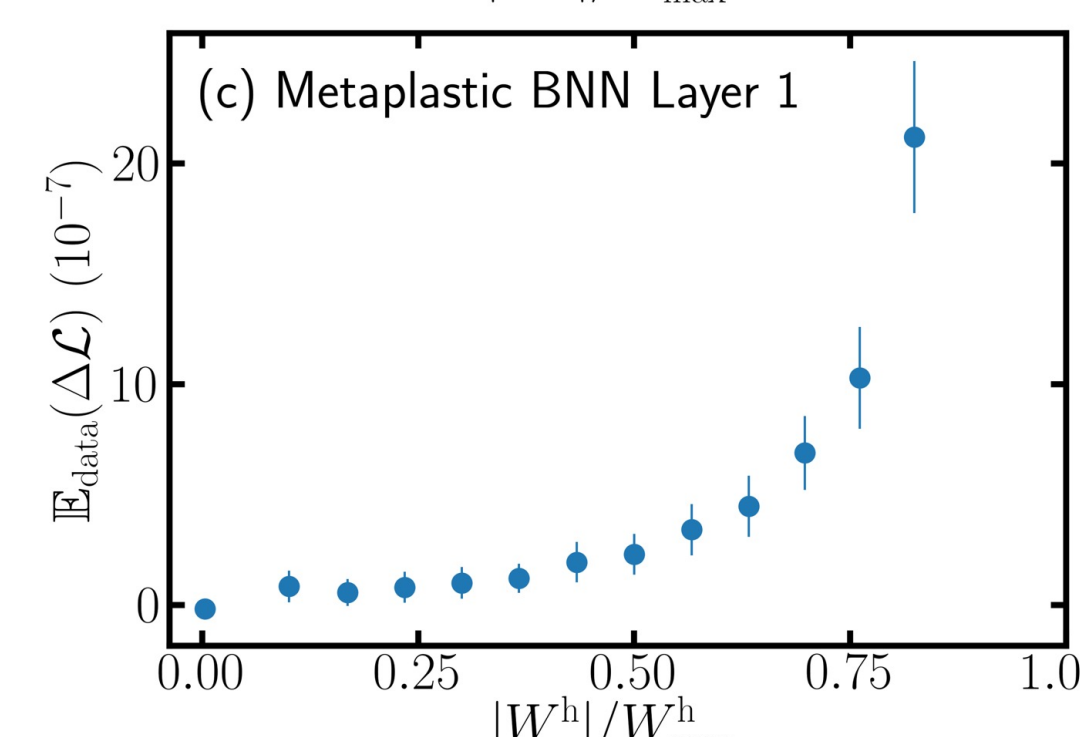
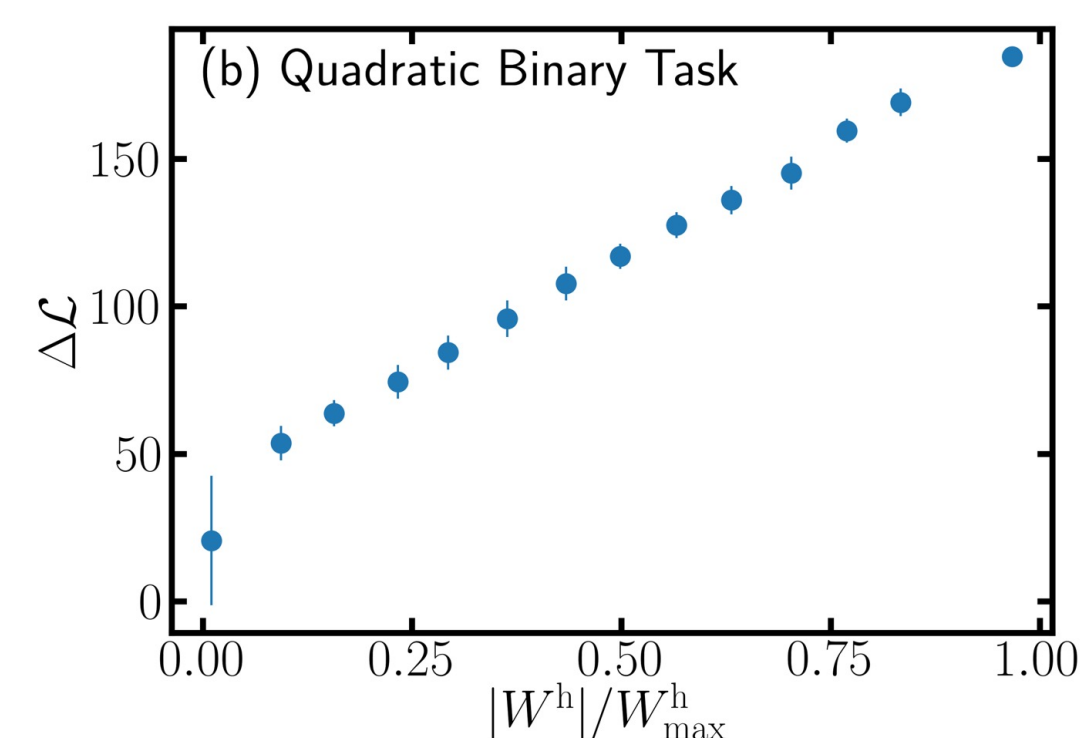
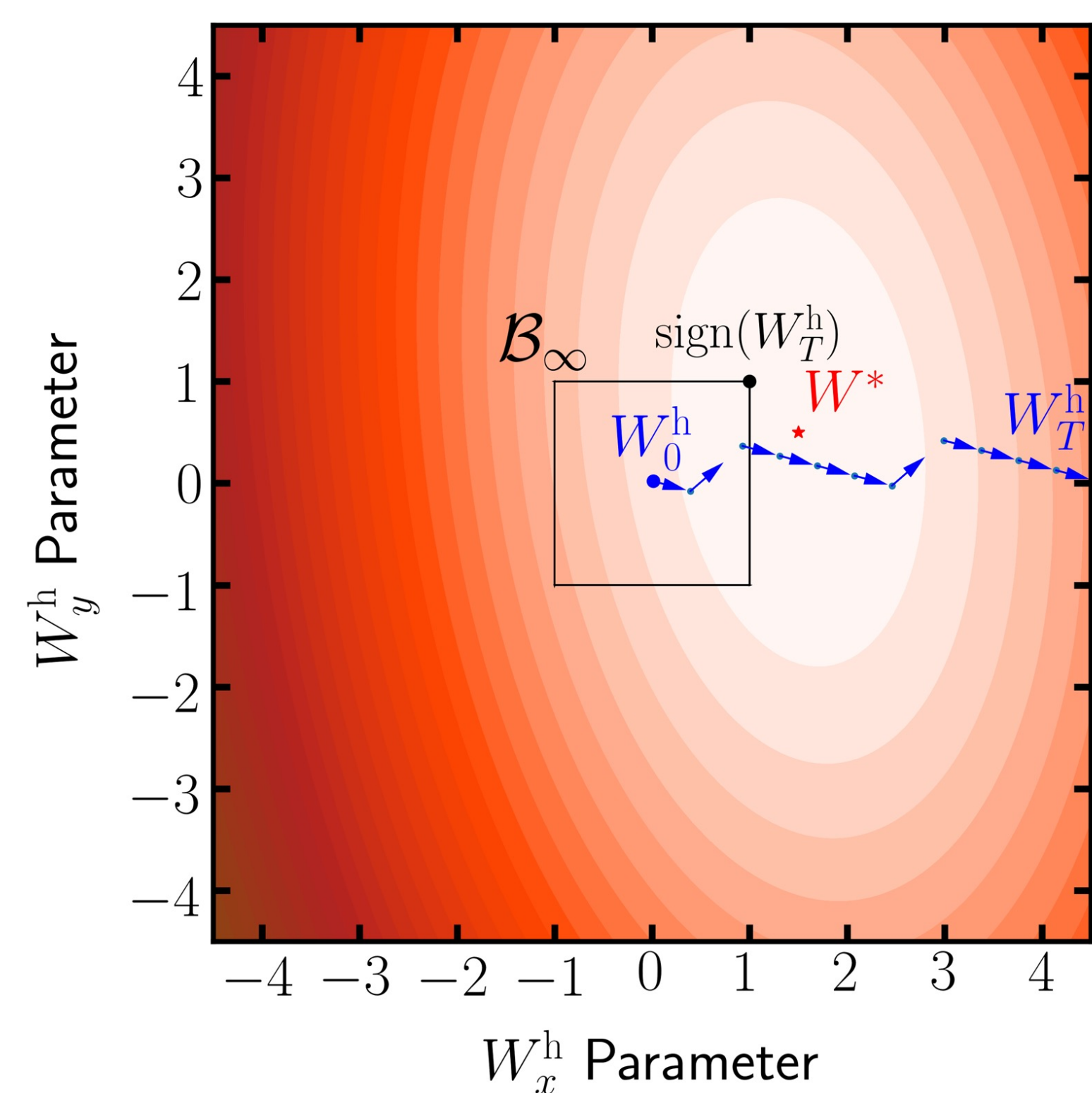
## Introduction:

- **Catastrophic forgetting** is an issue common to artificial neural networks in stark contrast with the brain.
- Neuroscience suggest that **real synapses are complex and metaplastic**.
- Hidden weights of Binarized Neural Networks are discarded for inference, but what difference does their hidden magnitudes make?

## Binary Optimization:

- We consider the quadratic binary task:

$$\mathcal{L}(\mathbf{W}) = \frac{1}{2} (\mathbf{W} - \mathbf{W}^*)^T \cdot \mathbf{H} \cdot (\mathbf{W} - \mathbf{W}^*)$$



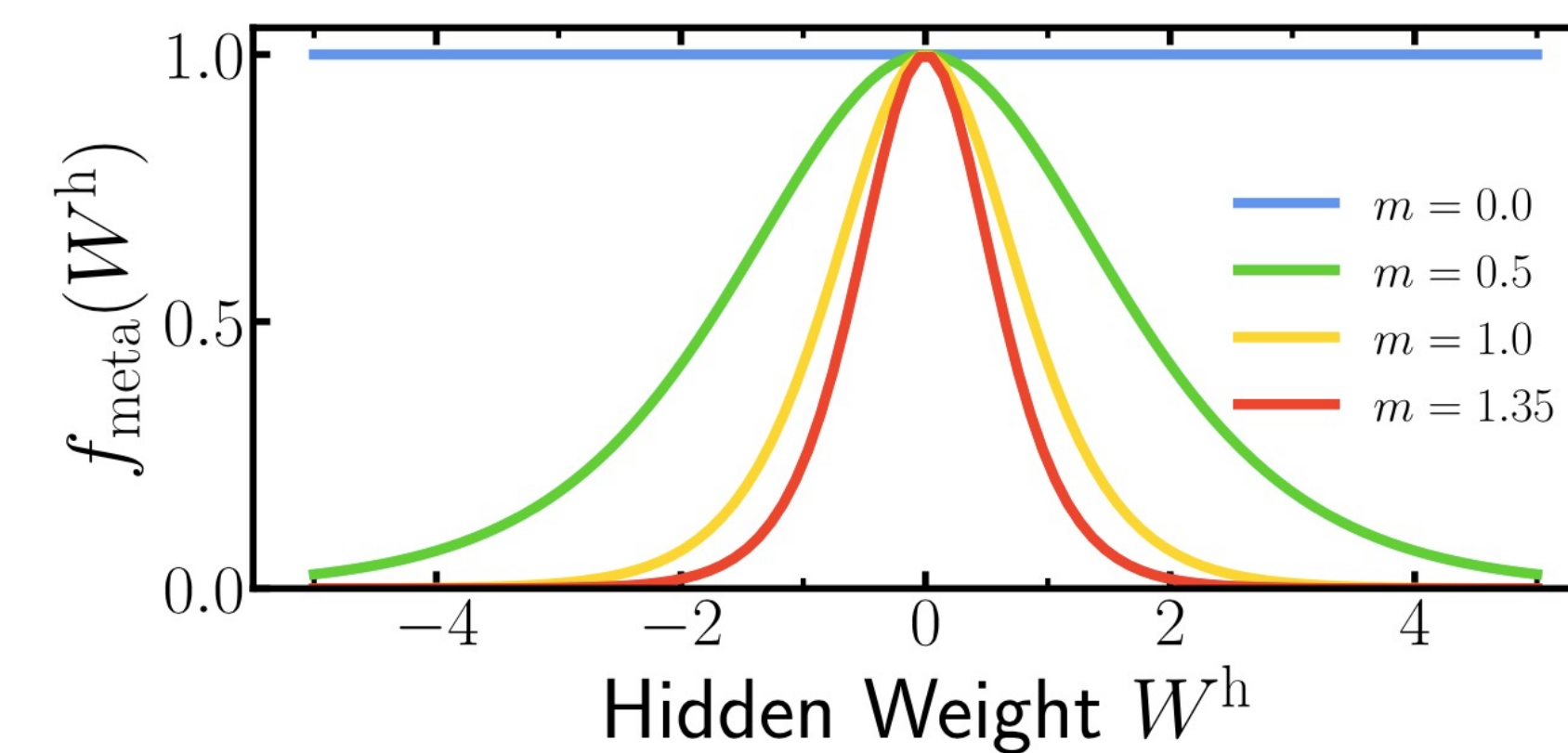
$$\Delta_i \mathcal{L}(\mathbf{W}_t) \sim 2\lambda_i + 2 \frac{|\tilde{W}_i^h|}{\eta} \text{ as } t \rightarrow +\infty.$$

## Consolidation strategy:

- The higher the hidden magnitude of the binarized weight, the more difficult to switch to the opposite sign.

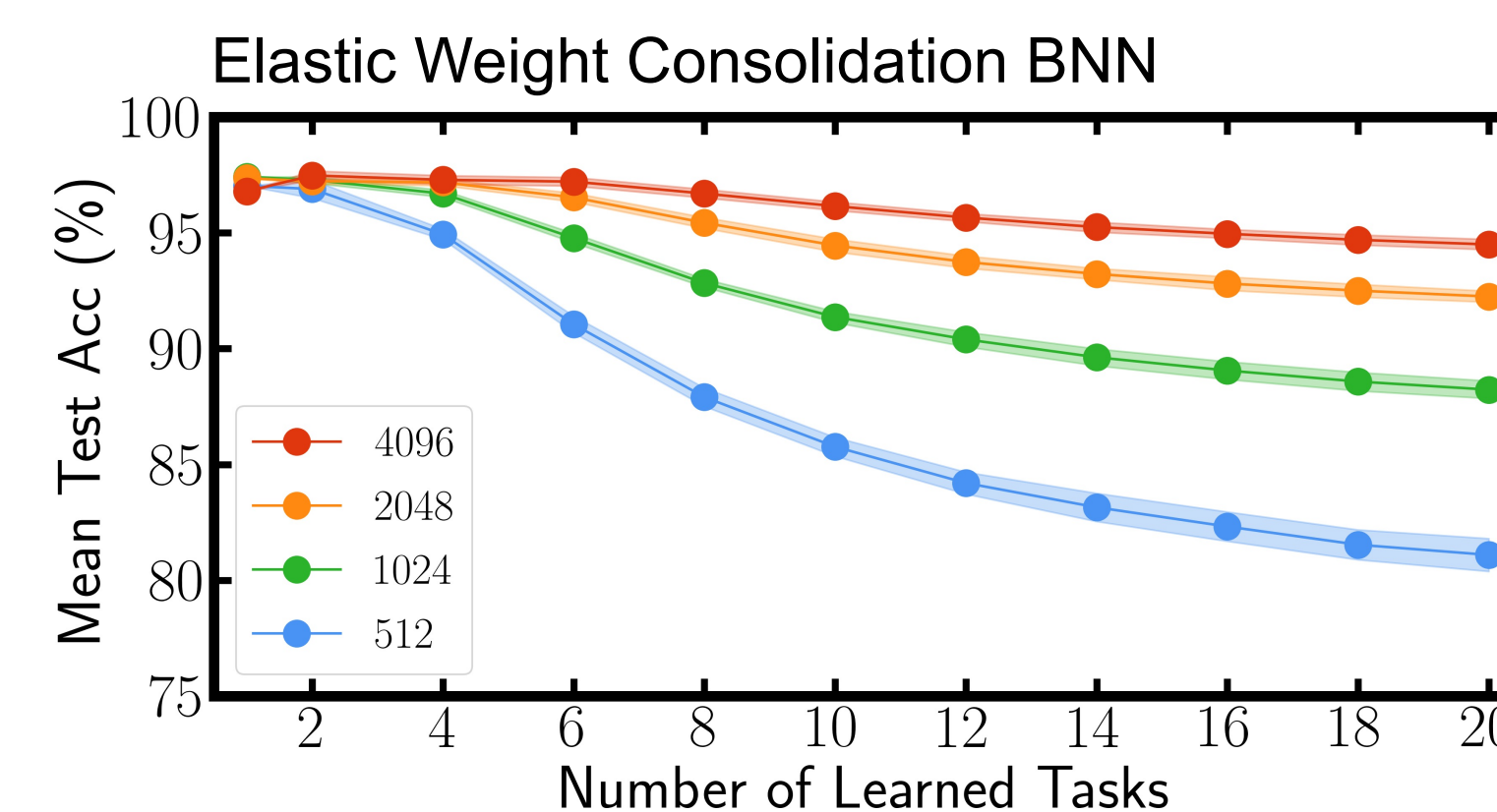
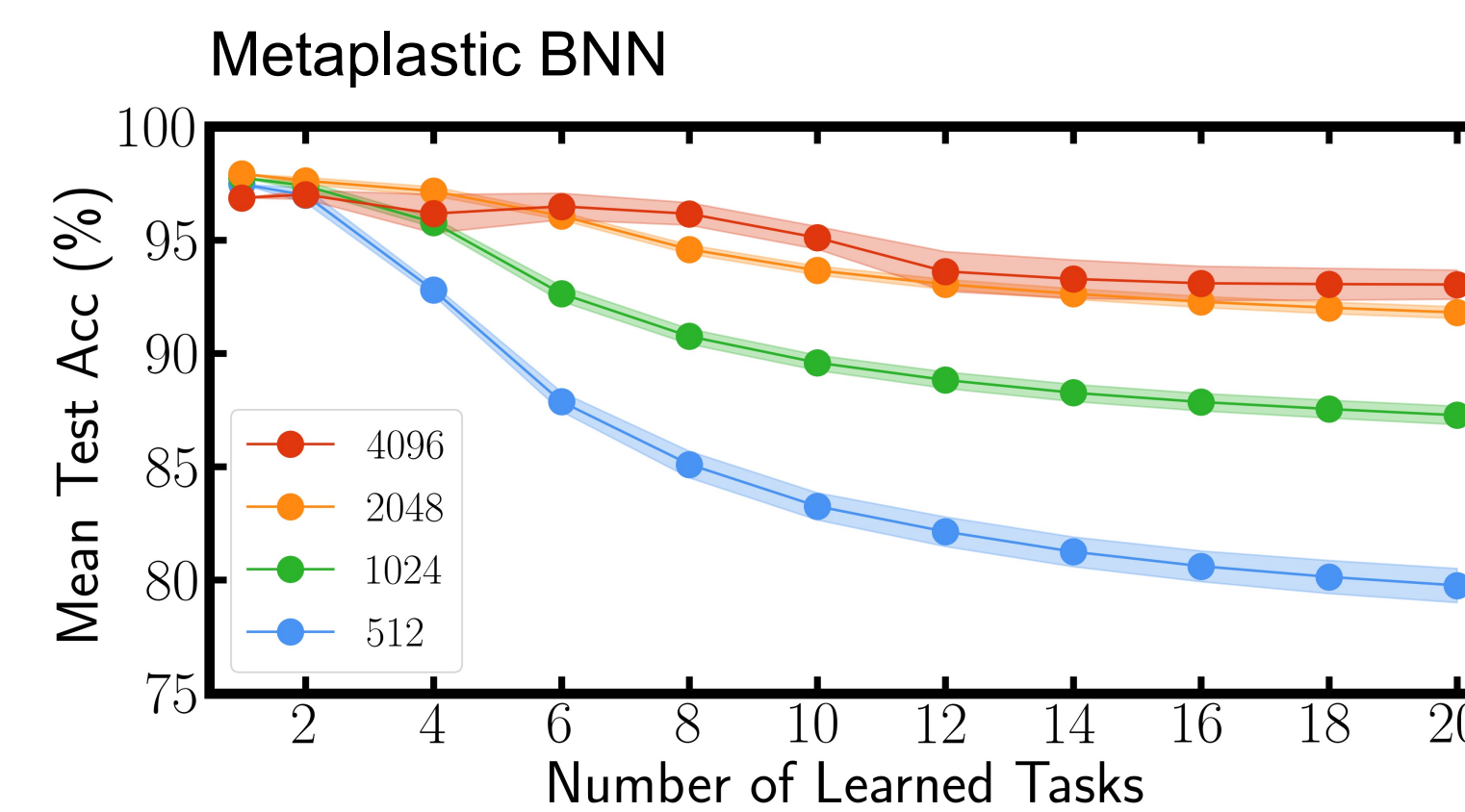
$$W^h \leftarrow W^h - \eta U_W \cdot f_{\text{meta}}(m, W^h) \quad \text{if } U_W W^h > 0$$

$$W^h \leftarrow W^h - \eta U_W \quad \text{otherwise.}$$



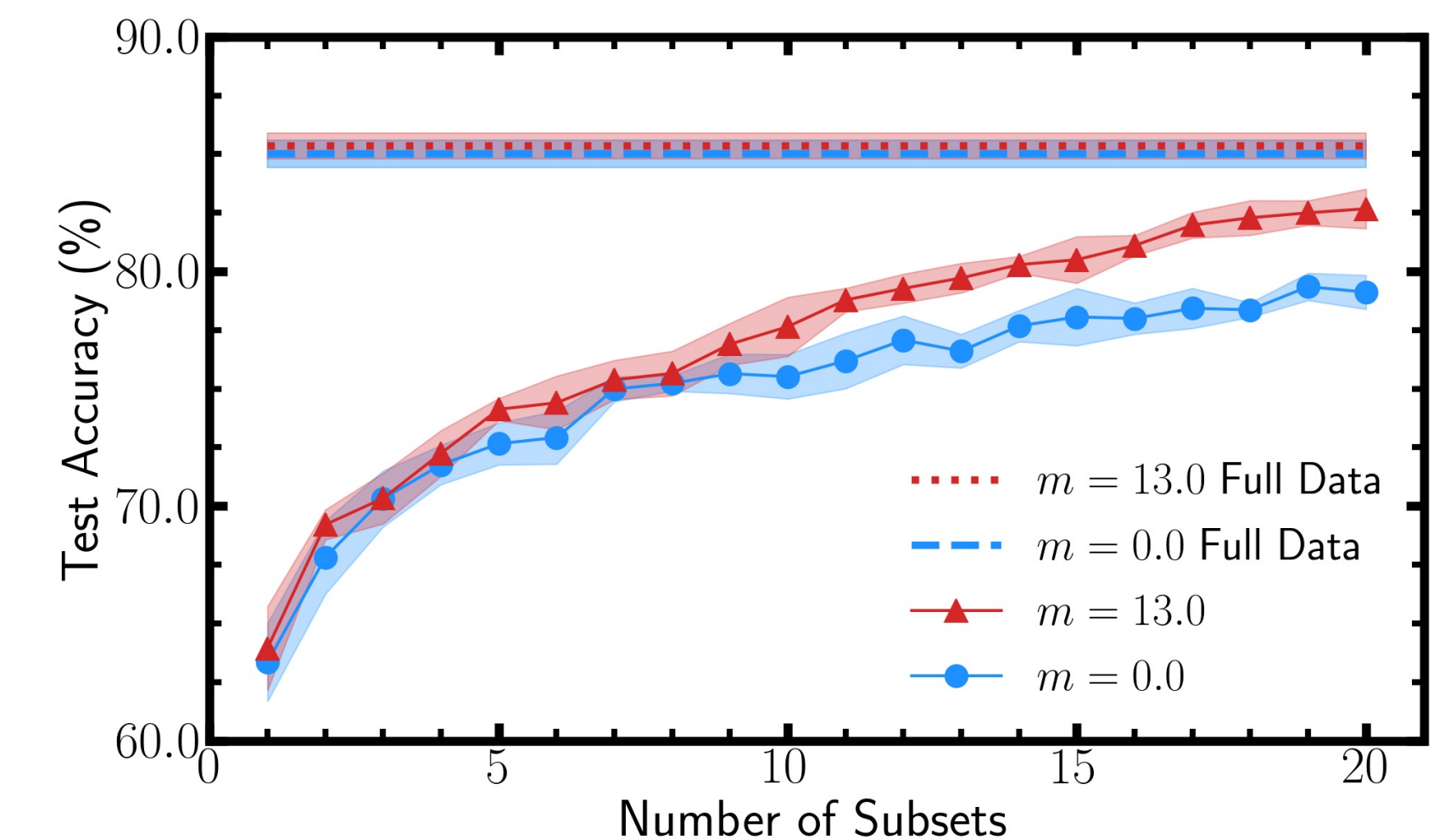
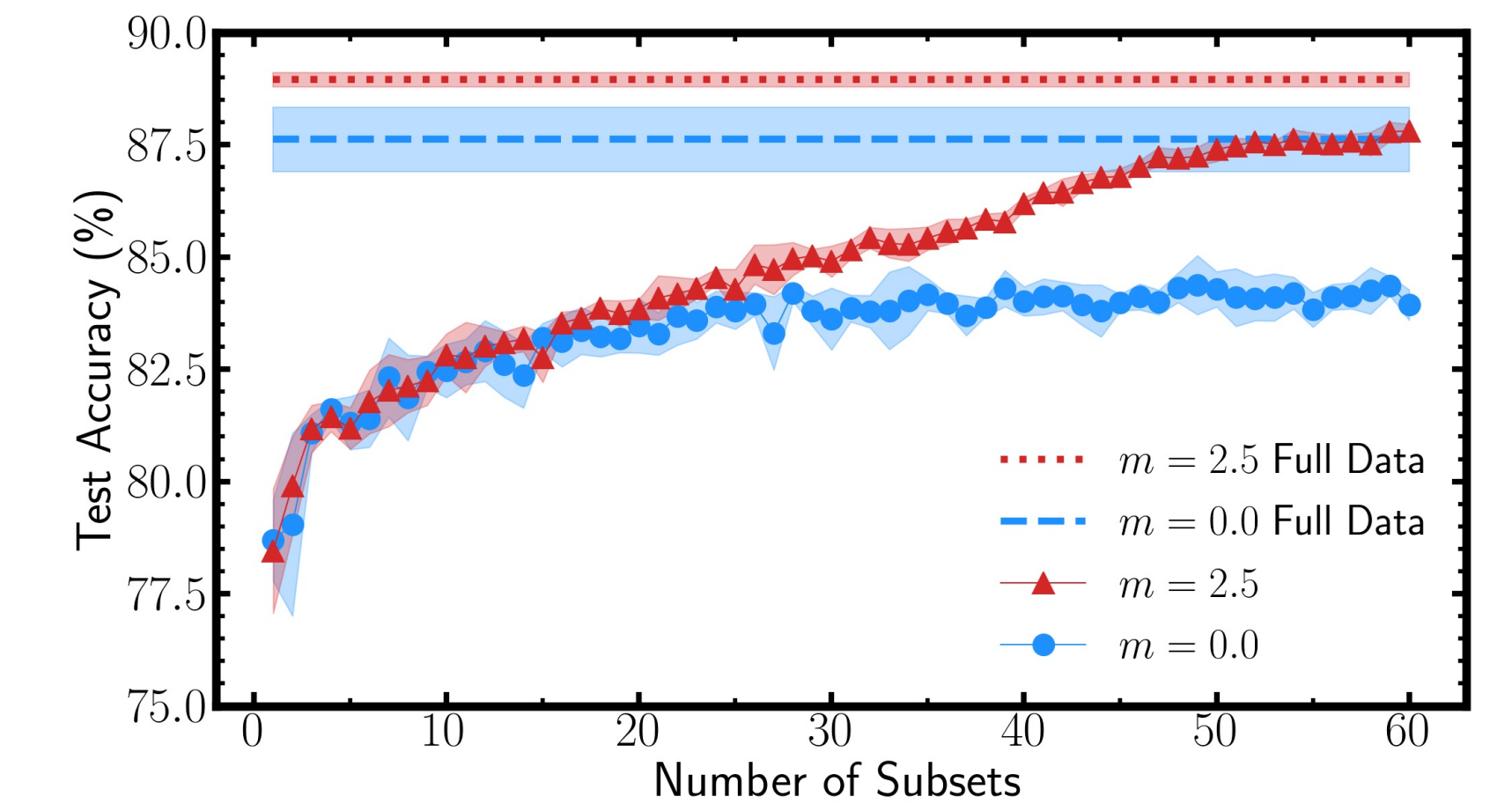
## Continual learning:

- Our approach performs similarly to Elastic Weight Consolidation on the permuted MNIST continual learning benchmark.
- Can also learn more complex sequences like MNIST -> Fashion MNIST (see paper).
- No need for tasks boundaries.



## Stream Learning:

- The network is learning a given task by **learning sequentially subsets of the whole dataset**.
- The accuracy of the Vanilla network plateaus because of it forgets previous subsets.
- Also works on CIFAR-10.



## Summary/Conclusion

1. Binarized Neural Networks **hidden weights are relevant** for continual learning.
2. We show a **principled explanation** for a tractable sub problem.
3. The resulting consolidation strategy **does not need task boundaries** and can be applied to Continual learning and Stream learning.

Paper: <https://www.nature.com/articles/s41467-021-22768-y>

Code: <https://github.com/Laborieux-Axel/SynapticMetaplasticityBNN>

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